

Event-based Simulation

This type of simulation is not time-stepped; simulation time can be continuous real variable rather than integer.

Three basic elements:

- (1) Simulation time — sometimes simulators call this the simulation clock
- (2) Simulated Objects — the simulation state is partitioned into objects
- (3) Event List — a list of "events" to be simulated

EXAMPLE: airplanes arriving and departing by a schedule.

Usually, each item in the event list has this format:

simulation time	Object/method handling the event
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scheduled sim time to execute this event.

The simulation cycle:

1. Find event e in event list with minimum simTime
2. Remove e from event list
3. Assign $\text{simClock} = e.\text{simTime}$
4. Invoke $e.\text{handler}$ (call the object method associated with this event)

Simulator Logic

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while eventList not empty:
    simulateCycle()
```

Does this mean we need to initialize the simulator with a list of all the events it will simulate?

No!

How Recurring events can be simulated

- Start with one initial event (t_0, X) where t_0 is scheduled simtime, X is object to "fire" at simtime t_0 .
- when simulator invokes $X.fire()$, the $fire()$ method of X adds a new event (t_1, X) to the event list, where $t_1 > t_0$.

Note: the $fire()$ method could do many other things — schedule more events, print values, change values (of simulation state), etc.

EXAMPLE :

simulate customers arriving and getting service from an ATM machine.

We'll simulate using a statistical model approach (easier than recording real persons visiting a real ATM).

What is a realistic statistical model of customer arrival?

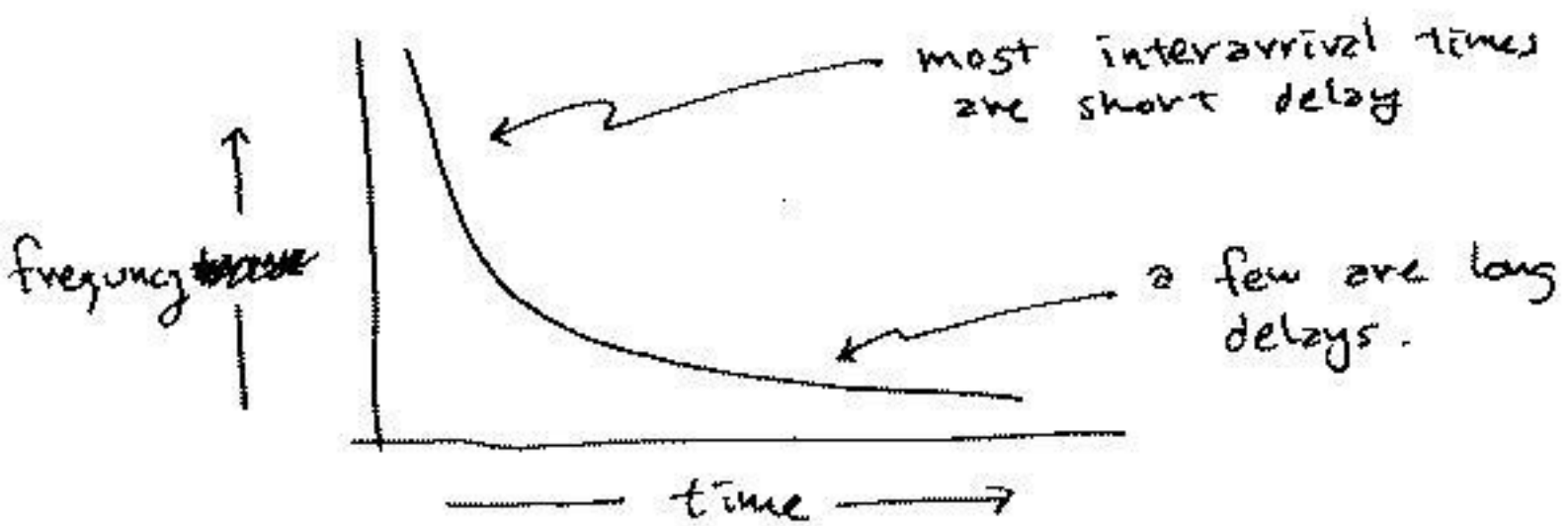
Suppose we measure the amount of time between one customer arriving and the next one arriving.

t_1 t_2 t_3 t_4 t_5 t_6 t_7 ...

t_i = time when customer i arrives

$t_i - t_{i-1}$ = "inter arrival" time, e.g.,
the delay between arrival of
customer i and customer $i-1$

Measurements of real systems suggest that interarrival times have this kind of distribution pattern



This distribution is the exponential distribution $\lambda e^{-\lambda t} = \text{Probability}(\text{delay is } t)$

To simulate this pattern, we use a "biased" random choice of interarrival time, where the "bias" matches up with the exponential distribution.

Idea: in the simulation, the event of one customer arriving schedules the next arrival, after a randomly chosen delay.
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